Project No #5

Housing Price prediction

Using Machine Learning Algorithms Regression

Linear Regression KNN Regression Random Forest Regression Stacking Regression

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Data Cleaning

 $1 | data.isnull().sum()$

0

Exploratory Analysis

1 data.describe()

sns.heatmap(data.corr(), vmin=-1, vmax=1, annot=True) $\mathbf{1}$ plt.show() $\overline{2}$

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Machine Learning

1. Linear Regression

Im=LinearRegression() $\mathbf{1}$

```
1 \mid lm.fit(x train, y train)
```

```
LinearRegression()
```
 $lm.coef_$ 1

```
array([2.16604083e+01, 1.65809651e+05, 1.20329408e+05, 2.19309558e+03,
       1.52858855e+01])
```

```
1 | data.column[6:5]
```

```
Index(['Avg. Area Income', 'Avg. Area House Age', 'Avg. Area Number of Rooms',
       'Avg. Area Number of Bedrooms', 'Area Population'],
      dtype='object')
```
1 | pd.DataFrame(lm.coef_,index=data.columns[0:5],columns=["Coefficient"])

lm.intercept 1

-2646630.531087137

lm.score(x_train,y_train) 1

0.9188401140943028

y_pred=lm.predict(x_test)

np.sqrt(mean_squared_error(y_test,y_pred))

102711.83810005663

1

Inference in Regression

 $1 \mid x$ with constant=sm.add constant(x train)

1 | lm_sm=sm.OLS(y_train,x_with_constant)

 1 | result= $lm_sm.fit()$

 $1 | print(result.summary())$

OLS Regression Results R-squared: Dep. Variable: V 0.919 OLS Adj. R-squared: Model: 0.919 Method: Least Squares F-statistic: 9044. Date: Fri, 17 Nov 2023 Prob (F-statistic): 0.00 Time: 06:59:43 Log-Likelihood: $-51755.$ No. Observations: 4000 AIC: 1.035e+05 3994 Df Residuals: BIC: 1.036e+05 Df Model: - 5 Covariance Type: nonrobust coef stderr t P>|t| [0.025 0.975] 0.000 -2.68e+06 -2.61e+06 const $-2.647e+06$ 1.91e+04 -138.228 144.946 $x1$ 21.6604 0.149 0.000 21.367 21,953 1.658e+05 1598.673 103.717 $x₂$ 0.000 1.63e+05 1.69e+05 1.203e+05 1779.180 67.632 0.000 1.17e+05 1.24e+05 x3 2193.0956 1461.592 1.500 0.134 -672.440 5858 631 x4 -0.000 x5 15.2859 0.161 94.837 14.970 15.602 G rrelation Omnibus: 4.735 Durbin-Watson: 2.016 between
between 0.094 Jarque-Bera (JB): Prob(Omnibus): 4.353 -0.034 Prob(JB): Skew: 0.113 2.854 Cond. No. $9.42e + 05$ Kurtosis:

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified. [2] The condition number is large, 9.42e+05. This might indicate that there are strong multicollinearity or other numerical problems.

check VIF

print(variance_inflation_factor(x_train,0)) $\mathbf{1}$ print(variance_inflation_factor(x_train,1)) $\overline{2}$ print(variance_inflation_factor(x_train,2)) 3 4 | print(variance inflation factor(x train, 3)) 5 | print(variance_inflation_factor(x_train,4))

more carrelated

29.518898716616043 27.14474538095936 44.50881222623392 14.51216193025586 12.896484451106032

Solutions:

Remove variables one by one which are having VIF>10 and fit regressions. Regularization or Dimensionality Reduction.

Do again

1 new data=data.drop("Avg. Area Number of Bedrooms", axis=1) ä 2 new_data 3 x new=new_data.iloc[:,:4].values 4 y_new=new_data.iloc[:,4].values 5 x_new_train,x_new_test,y_new_train,y_new_test=train_test_split(x_new,y_new,test_size=0.2,random_state=0) 6

Im=LinearRegression()

7

Im.fit(x_new_train,y_new_train) 8 y_new_pred=lm.predict(x_new_test)

9 np.sqrt(mean_squared_error(y_new_test,y_new_pred))

: 102671.05426024446

1 x_with_constant=sm.add_constant(x_new_train) 2 lm_sm=sm.OLS(y_new_train,x_with_constant) $\overline{}$ result=lm_sm.fit()

4 print(result.summary())

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified. [2] The condition number is large, 9.42e+05. This might indicate that there are strong multicollinearity or other numerical problems.

```
print(variance inflation factor(x new train, <math>\theta</math>))\mathbf{1}print(variance inflation factor(x new train,1))
\overline{2}print(variance inflation factor(x new train,2))
3
   print(variance inflation factor(x new train, 3))
4
5
```

```
29.484395570334836
27.144248713809294
31.57863327968842
12.879726751429272
```
 $VIF > 10$

Solutions:

Remove variables one by one which are having VIF>10 and fit regressions. Regularization or Dimensionality Reduction.

Normality of Residuals

```
1 | resid_new=y_new_train-lm.predict(x_new_train)
```
- 2 sns.distplot(resid new)
- 3 plt.show()

C:\Users\Prasa\anaconda3\new\lib\site-packages\seaborn\distributions.py:2619: F n and will be removed in a future version. Please adapt your code to use either flexibility) or 'histplot' (an axes-level function for histograms). warnings.warn(msg, FutureWarning)

Homoscedasticity & Residual Independency

Assumption is not necessary like stats

2.KNN Regression

Selecting the optimal k value

Validation set approach

- $1 \text{ km} =$ KNeighborsRegressor(n_neighbors=7)
- 1 knn.fit(x_train, y_train)

KNeighborsRegressor(n_neighbors=7)

- 1 y pred=knn.predict(x test)
- 1 | np.sqrt(mean_squared_error(y_test,y_pred))

239881.84240633072

3. Random Forest Regression

Optimizing hyper parameters

```
params={"n_estimators":[100,200,300,400,500]}
1
\overline{2}model=RandomForestRegressor()
3 cval=KFold(n_splits=5)
```
gsearch=GridSearchCV(model,params,cv=cval) $\mathbf{1}$

```
results=gsearch.fit(x train,y train)
1
  results.best_params
2
```
: {'n estimators': 400}

1

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rf = RandomForestRegressor(n_estimators=500)

```
rf.fit(x train, y train)1
```
RandomForestRegressor(n estimators=500)

- y pred=rf.predict(x test) 1
- np.sqrt(mean squared error(y test,y pred)) 1

```
122016.85344638201
```

```
1 rf.feature_importances
 array([0.43426751, 0.23458556, 0.12542725, 0.01680957, 0.18891012])
   1 | data.columns[:5]: Index(['Avg. Area Income', 'Avg. Area House Age', 'Avg. Area Number of Rooms',
         'Avg. Area Number of Bedrooms', 'Area Population'],
        dtype='object')
```

```
\mathbf{1}sns.scatterplot(y_test,y_pred)
2 plt.plot()
```
C:\Users\Prasa\anaconda3\new\lib\site-packages\seaborn_decor d args: x, y. From version 0.12, the only valid positional ar icit keyword will result in an error or misinterpretation. warnings.warn(

4. Stacking Regression

np.sqrt(mean_squared_error(y_test,y_pred))

: 113621.43814581452

t

```
sns.scatterplot(y_test,y_pred)
1
  plt.plot()
2^{\circ}
```

```
C:\Users\Prasa\anaconda3\new\lib\site-packages\seaborn\ decorator
d args: x, y. From version 0.12, the only valid positional argume
icit keyword will result in an error or misinterpretation.
 warnings.warn(
```


Comparing performance

- $\begin{array}{ll} 1 & \texttt{y_pred_lm}, predict(x_new_test) \\ 2 & \texttt{lm_rmse} = np.sqrt(\texttt{mean_squared_error}(y_pred,y_test)) \end{array}$
-
- $\begin{array}{ll} \texttt{1} & \texttt{y_pred=knn}, \texttt{predict(x_test)} \\ \texttt{knn_rmse=np.sqrt(mean_squared_error(y_pred,y_test))} \end{array}$
-
- 1 y_pred=rf.predict(x_test) 2 rf_rmse=np.sqrt(mean_squared_error(y_pred,y_test))
- $\begin{array}{rl} 1 & \text{y_pred_st.predict(x_test)} \\ 2 & \text{st_rmse = np.sqrt(\text{mean_squared_error(y_pred,y_test)})} \end{array}$
- 1 pd.DataFrame({"Model":["Linear Regression","KNN","Random Forest","Stacking"],"RMSE":[lm_rmse,knn_rmse,rf_rmse,st_rmse]})

Model **RMSE** 0 Linear Regression 102671.054260

- KNN 239881.842406 $\mathbf{1}$
- 2 Random Forest 121567.989545
- $3¹$ Stacking 113621.438146